Flight Simulation

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Team:

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The project

Components

- 3D physics simulation
- 3D graphics
- 3D terrain (landscape)
- Collision detection

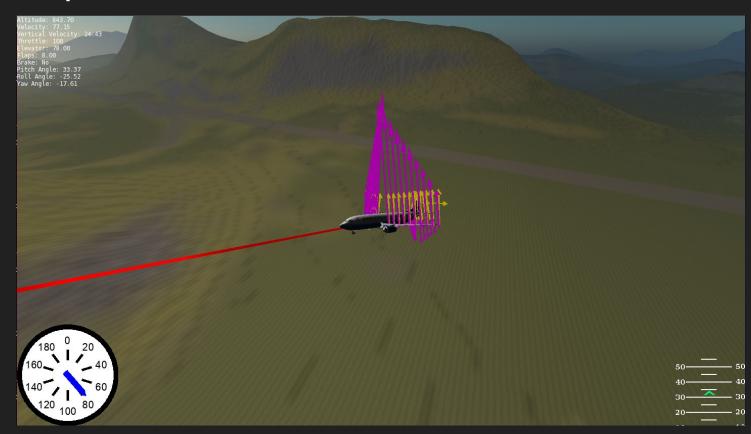
Purpose

For the sake of learning

Language & libraries

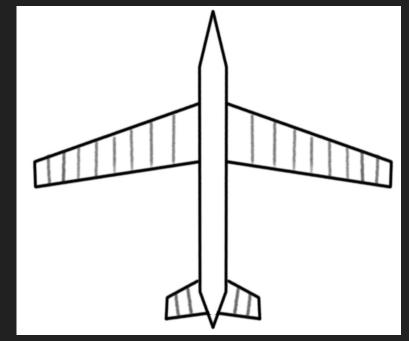
- C++
- SFML
- OpenGL
- GLM

3D Graphics



Physics from 2D to 3D, Airfoil Segmentation

 Root and tip sections have different velocities when the plane rotates.

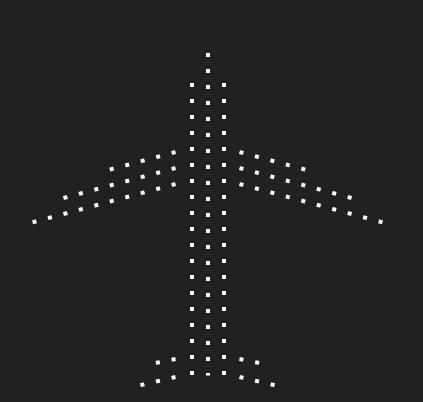


Physics from 2D to 3D, Inertia Matrix

- In 2D inertia is a scalar.
- In 3D inertia is a 3x3 matrix.

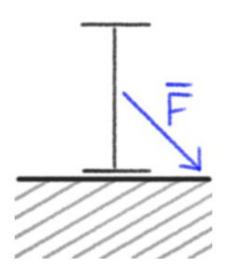
$$\mathbf{I} = egin{bmatrix} I_{11} & I_{12} & I_{13} \ I_{21} & I_{22} & I_{23} \ I_{31} & I_{32} & I_{33} \end{bmatrix} = egin{bmatrix} I_{xx} & I_{xy} & I_{xz} \ I_{yx} & I_{yy} & I_{yz} \ I_{zx} & I_{zy} & I_{zz} \end{bmatrix}.$$

Physics from 2D to 3D, Inertia Matrix



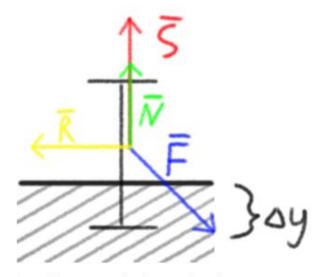
$$I_{11} = I_{xx} = \sum_{k=1}^{N} m_k \left(y_k^2 + z_k^2
ight),$$
 $I_{22} = I_{yy} = \sum_{k=1}^{N} m_k \left(x_k^2 + z_k^2
ight),$
 $I_{33} = I_{zz} = \sum_{k=1}^{N} m_k \left(x_k^2 + y_k^2
ight),$
 $I_{12} = I_{21} = I_{xy} = -\sum_{k=1}^{N} m_k x_k y_k,$
 $I_{13} = I_{31} = I_{xz} = -\sum_{k=1}^{N} m_k x_k z_k,$
 $I_{23} = I_{32} = I_{yz} = -\sum_{k=1}^{N} m_k y_k z_k.$ [1

Wheels in 3D



No contact - no force from the wheels

(View from side)



Δy - how much the spring is compressed

F - all other forces pushing on wheel

N - normal force

S - spring force

R - rolling friction force

(View from side)

Wheels in 3D



Cf - friction coefficient when wheel moves forward/backward

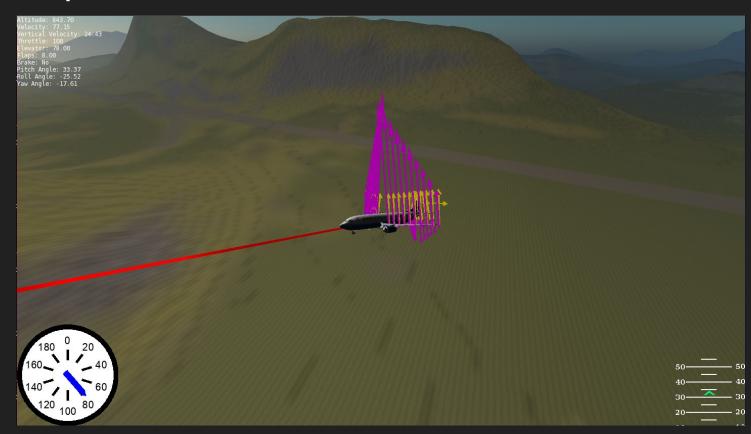
Cz - friction coefficient when wheel moves sideways

V - velocity

In this case coefficient will be closer to Cf

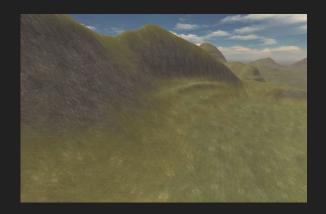
(View from top)

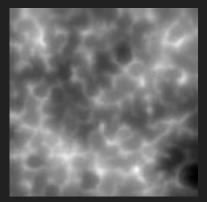
3D Graphics

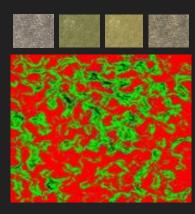


3D Graphics

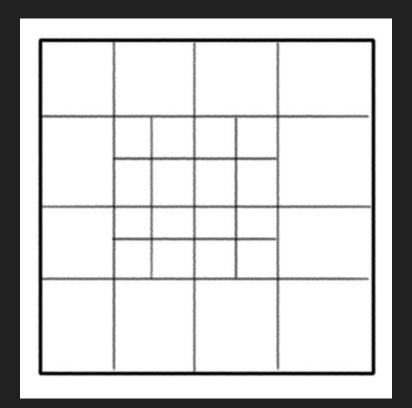
- Terrain is rendered using heightmap
- Different levels of detail based on distance
- Terrain is textured using splatmap
- Deferred rendering
- 3D objects are loaded from AC3D file format



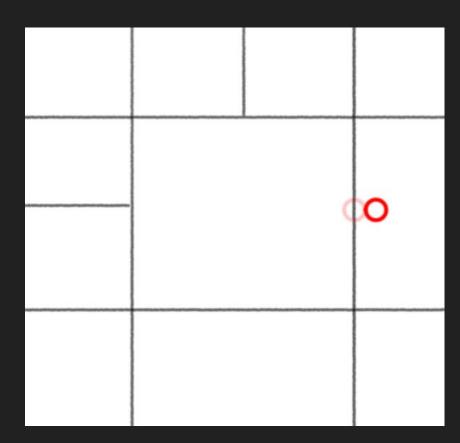




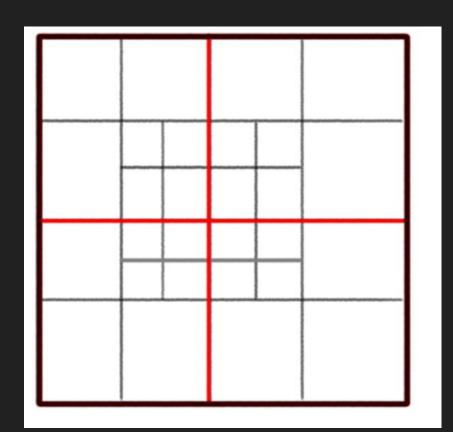
- Problem
 - Is a leaf node's neighboring node smaller?
- Assumption
 - Neighbor is either 2 times smaller, 2 times bigger, or of the same size.



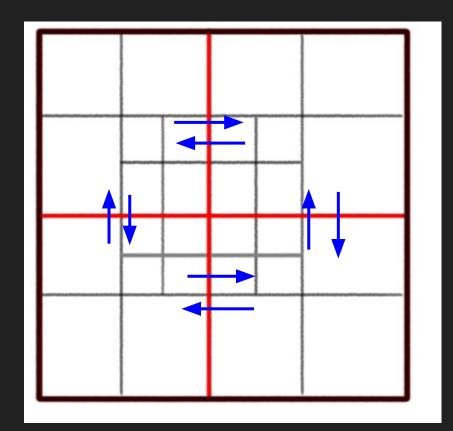
- Victorbush's solution [2]
 - Take a pos at the edge of a node
 - Add some ε
 - DFS for a node that contains the position



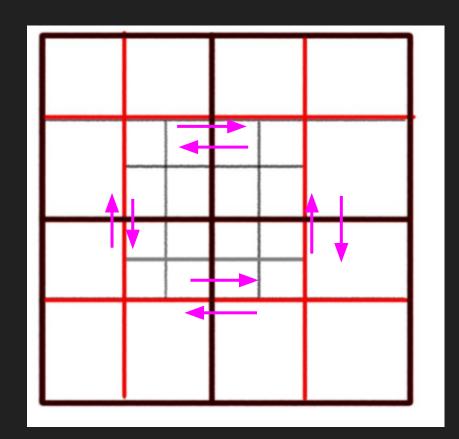
- Our solution
 - Do a breadth first traversal from largest node down to leaf nodes.
 - Set neighbors of children along the way.



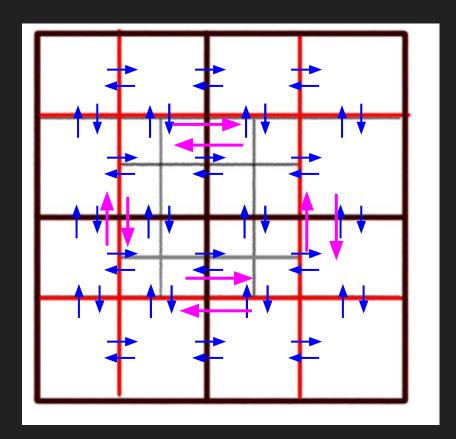
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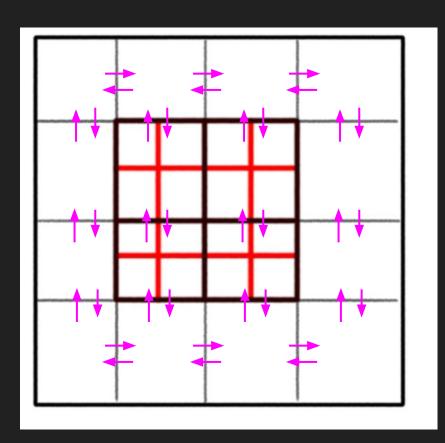
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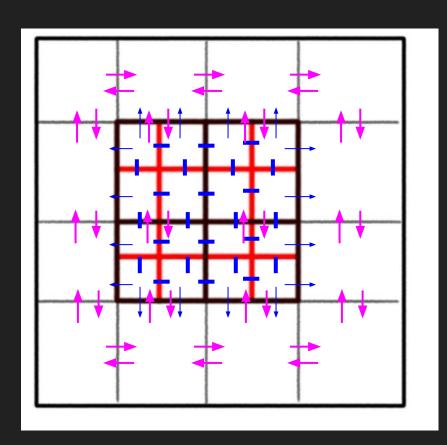
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 - Larger leaf nodes don't know smaller neighbors.
 - Smaller neighbors know larger neighbors.



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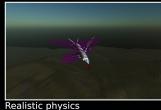


- Victorbush's solution [2]
 - DFS for every leaf node
- Our solution
 - 1 breadth first traversal

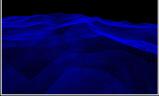
References

- Moment of inertia wiki page: https://en.wikipedia.org/wiki/Moment of inertia
- 2) Victorbush, Tessellated Terrain Rendering with Dynamic LOD: https://victorbush.com/2015/01/tessellated-terrain/





Atmospheric scattering



Massive terrain with dynamic level of detail

We wanted to learn about low-level graphics programming and 3D physics simulation. This project is a byproduct of our learning experience. It was done using C++ and OpenGL.

Created by:

- Alisher Shakhiyev
- Alen German
- Auyez Zhumashev

Advisor:

- Hans De Nivelle

Computer Science Department

Clouds



- Transmittance the ratio of light that reaches the eye.
- Light_eye = T(extinction_coeff, distance)
- Transmittance is given by Lambert-Beer law
- $T(\sigma, d) = \exp(-\sigma * d)$

